

## Examen Marketing Strategy Modelling Januari 2022

Prof Lien Lamey / 2.5h / 4 open questions

- Question about competition: A linear model to model the sales of Coca Cola was given. There are 3 brands in the market: Coca Cola, Pepsi and a Private Label.
  - Explain how you would improve this model to get more insights?
     Motivate briefly
    - i. Indirect approach:  $Q_{it} = Q_t * m_{it}$  to distinguish between category sales effects and brand market share effects. (1x)
    - ii. Combination of multiplicative interaction as price follows the shape of this model and multinomial logit model as advertising follows the shape of this model. Something like this: (1x)

$$m_{it} = \frac{\alpha_{i} p_{it}^{\beta_{p}} e^{\beta_{a}^{*} a_{it}}}{\sum_{c=1}^{4} \alpha_{c} p_{ct}^{\beta_{p}} e^{\beta_{a}^{*} a_{ct}}}$$

b. How would you include reaction of Pepsi towards Coca-Cola's advertising?

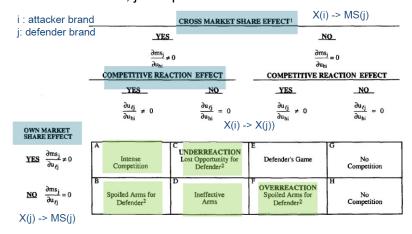
LNB model (1x)

Demand function of Coca:  $msh_j = \alpha msh_{j,-1}^{\lambda}(p^r)^{\beta_p}(a^r)^{\beta_a}$ 

Reaction function of Pepsi:  $a_c = \alpha_a(p^-)^{\rho_{a,p}}(a^-)^{\rho_{a,a}}$ 

c. When should Pepsi NOT react to the advertising attack of Coca cola? Include cross market share effect, competitive reactions effect and own market share effect.

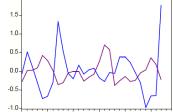
With i = Coca Cola, j = Pepsi





- 2. Question about marketing strategy in turbulent times: Spanish Discounters Share (Private label like Aldi, Lidl,...)
  - a. Graph that looked a little bit like this was given of Spanish discounters PL share, periods of contraction and expansion and you had to explain what was happening

The Spanish discounter share behaves countercyclical. The share of Spanish discounters decreases in expansions and increases in contractions (2x)



- b. Give two methodological steps of how you derive cyclical component.
  - i. Extract cyclical component (1x) PLS<sup>c</sup><sub>t</sub> = PLS<sub>k,t</sub> PLS<sup>trend</sup><sub>k,t</sub>
  - ii. Relating to the business cycle (2x)

$$PLS_t^c = \beta^{PLS} GDP_t^c + \eta_t$$

c. How do you derive whether the economic cycle is responsible for the the growth?

$$\Delta PLS_{t}^{trend} = \delta + \phi \ contraction_{t} + \mu_{t}$$
 With: 
$$\hat{\beta}_{i}^{PLS} = \alpha + \sum_{k=1}^{\infty} \tau_{k} \hat{\beta}_{i}^{MM_{k}} + \sum_{l=1}^{\infty} \varphi_{l} X_{i}^{l} + \upsilon_{i}$$

$$\hat{\rho}_{i}^{PLS} = \alpha + \sum_{k=1}^{i} \tau_{k} \rho_{i} + \sum_{l=1}^{i} \varphi_{l} X_{i} + U_{i}$$

$$\hat{\phi}_{i}^{PLS} = \kappa + \gamma_{PLS} \hat{\beta}_{i}^{PLS} + \sum_{k=1}^{i} \gamma_{k} \hat{\beta}_{i}^{MM_{k}} + \sum_{l=1}^{i} \lambda_{l} X_{i}^{l} + \omega_{i}$$

$$(1x)$$

- 3. Question about CLV: Telecommunication company. The cost per customer was 40\$ + 60\$ per year. The revenues per customer was \$50 per month. Retention rate is 60% annually.
  - a. Calculate lifetime value with constant margins

$$LV = m \left(\frac{r}{1 + i - r}\right)$$

LV = 
$$[(50 * 12 - 100) * 0.60] \div (1 + 0.10 - 0.60) = 500 * 1.20 = 600 (3x)$$

b. You have 100 000 customers. What is the maximum amount of money you should invest in marketing to increase the retention rate from 60% to 70%?

$$[(50 * 12) - 100] \div (1 + 0.10 - 0.60) = 500 * 1.20 = 600$$
  
 $[(50 * 12) - 100] \div (1 + 0.10 - 0.70) = 500 * 1.75 = 875$   
 $87 500 000 - 60 000 000 = 27 500 000 (2x)$ 

- c. Retention in this case
  - Mention 2 drivers of retention for this case Quality (good reception)
     Price



ii. Tell us which model to use for the drivers explained in i)
Logit model (2x)

$$P(Chum) = \frac{1}{1 + \exp(\beta X)}$$

With x being the drivers described in (i)

4. Question about firm value: event study of General Motors. The Event takes place on Sept 7. Use the day before and after to calculate the change in stock return.

	Stock price general motors	General motors return	Market return NASDAQ
Sept 5			
Sept 6			
Sept 7		0.01	
Sept 8			0.05

	Intercept α	Beta $\beta$	Var(error term)
General motors	-0.01	1	0.0003

## Give the additional steps and calculate the change. Is this significant?

Step 6: Calculate expected returns

Expected return<sub>t</sub> =  $\alpha + \beta$  \* market return<sub>t</sub>

Step 7: Determine cumulative abnormal returns

Abnormal return<sub>t</sub> = observed return<sub>t</sub> - expected return<sub>t</sub>

CAR = abnormal return(Sept 6) + abnormal return(Sept 7) + abnormal return(Sept 8) = 0.03 (1x)

This is not significant as the standard deviation of the error term ( $\sqrt{3*0.0003}$  = 0.03) is equal to CAR (1x)