

## Operations Strategy – Exam January 2014

- 1) You need to buy square feet at 4,8 dollar in long term contracts, or at 6 dollar at the spot market, your demand is normally distributed with mean = 35 000 and std = 7500. What is the optimal amount of space to buy with long term contracts? And what would change if the std dev went up? (3 ptn)
- 2) High demand = 75000, low demand = 50000, margin = 80,  $C(K) = 2 \text{ MIO} + 10K$ , no penalty costs, discount rate = 10%. Calculate the option value of waiting. What would happen if  $C_p$  increased? (4 ptn)
- 3) Incumbent firm & new entrant, incumbent firm has  $WTP_1 = 400 - 5x$ , entrant has  $WTP_2 = 320 - 4x$ .  $c_1 = 200$ ,  $c_2 = 140$ . What would be the optimal price setting? And what is the increase in market size compared to the incumbent firm only? (4 ptn)

Multiple choice (9 in total, op 9 ptn met giscorrectie van -0,5 per fout)

- badge engineering (uit die paper)
- demand pooling, what risk is reduced? (inventory risk, receivables risk,...) (uit een paper)
- $\Omega_1$ ,  $\Omega_2$ ,  $\Theta_1$ ,  $\Theta_2$  are given, welke uitspraak is waar?
- Operational hedges, wat doen ze (NPV verhogen en variance reduceren, of risico aversie verminderen, of alle twee)?
- Koss model, wat doet het? (Beschermen tegen seasonal volatility, tegen seasonal volatility en variance van demand binnen de seizoenen, of geen van de 2)
- De andere 4 ben ik vergeten...

